# Trustworthy Machine Learning in Data-Driven Cyber Security Practices

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## Use of Machine Learning for Security Practices

Machine Learning for Cyber Threat Detection, Classification and Prediction



#### Security Operation Center (SOC) of Managed Security Service



#### Challenge raised by fast increasing cyber threats:

- Huge volume of data input of SOC. For example the SOC of a mainstreaming security vendor receive reports of 3.7 million spear-phishing and website hijacking events. Human experts can not verify all of them.
- 1/3 reported incidents originate from zero-day vulnerability.
   Prediction of potential threats is thus important for active defense

## Challenges to Trustworthy Machine Learning Service in Cyber Security Practices



## Outline

### • Trustworthy Machine Learning in security-critical applications

- Robust security incident prediction with incomplete / noise-corrupted data
  - Multi-sourced active learning based cyber threat detection
- Privacy-agnostic an distributed data analytics
- Adversarial robustness certification
- Future perspectives

## Dirty data challenge in security practices

### Multi-sourced active learning based cyber threat prediction



**Cyber Threat Prediction**: predict threats (and their types) that would be likely to be evoked based on observed incidents

A real-world learning scenario with *incomplete features* and *partially observed incident labels* 

## Dirty data challenge in security practices

Multi-sourced active learning based cyber threat prediction



### Dirty data challenge in security practices



Multi-sourced active learning based cyber threat prediction

## Outline

### • Trustworthy Machine Learning in security-critical applications

- Robust security incident prediction with incomplete / noise-corrupted data
- Privacy-agnostic and distributed data analytics
  - Byzantine failure resilient federated learning
- Adversarial robustness certification
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## Privacy-preserving and distributed data analytics

### Byzantine Federated Learning

• A popular solution: Federated Learning (proposed by Google AI, published on NIPS 2016)



Real-world scenario: Robust distributed ML service in compliance with Data Privacy Regulations

## Privacy-preserving and distributed data analytics

### Byzantine Federated Learning





domain experts

**Privacy-preserving Collaborative Data Debugging via Trusted Items** 

#### Assumption

We assume that training data hosted by each local agent is potentially buggy

We assume that a small fraction of trusted training data is available on <u>some</u> local agents, verified by domain experts with considerable cost and denoted as

## Privacy-preserving and distributed data analytics

### Byzantine Federated Learning



#### <u>Transferred messages don't</u> <u>uncover local data profiles</u>

#### **Privacy-preserving Collaborative Data Debugging via Trusted Items**

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Threat Model: Evasion Attack against Sequential Data Classification Model



Classification system

Han et al, Attackability Assessment via Weak Submodularity and Greedy Attack, KDD 2020

- Why does evasion attack on discrete data matter ?
- Attack on discrete data is a combinatorial optimization problem



Threat Model: Evasion Attack against Sequential Data Classification Model

Set function maximization

 $S^* = \underset{|S| \le K}{\arg \max} g(S)$ where  $g(S) = \underset{l \in S}{\max} f_y(\hat{\mathbf{x}}), \quad l = diff(\mathbf{b}, \hat{\mathbf{b}})$ |S| is the cardinality of set *S*.

diff function It reports the set of the indices where b and  $\hat{b}$  are different

l denotes the set of modification to make when we attack x

g(S) is a set function. The argument is a set, which includes all feasible subsets

g(S) is a non-decreasing function: If  $S_i > S_{i-1}$ , then  $g(S_i) > g(S_{i-1})$ 

#### **Greedy Search based Evasion Attack**

 Weak submodularity of the attack objective: a bridge between Attack Quality and Regularity of the classifier

#### • Claim 1: Evasion attack on discrete data targeting at a general classifier f is weakly submodular

THEOREM 1. Let b as the unchanged original binary indicator defined in Eq.1. Let  $\Omega_k = \{(\hat{b}, \hat{b'}) : |diff(b, \hat{b})| \le k, |diff(b, \hat{b'})| \le k, |diff(\hat{b}, \hat{b'})| \le k\}$ , where  $\hat{b}$  and  $\hat{b'}$  denote two sets of selected discrete attributes to be modified adversarially. If the classifier  $f_y$  is  $(m_{\Omega_k}, M_{\Omega_k})$ -regularized on  $\Omega_k$ , the g(S) defined by Eq.1 is weakly submodular. Its submodularity ratio  $\gamma_k$  on  $\Omega_k$  is bounded from below:

$$\gamma_{k} \geq \frac{1}{2\psi_{k} M_{\Omega_{k}}}$$
  

$$\psi_{k} = 1 + \frac{k^{2} |m_{\Omega_{k}}|}{2 ||\nabla f_{y}(b)_{s}||_{2}^{2}}, \quad If \ m_{\Omega_{k}} \leq 0$$

$$\psi_{k} = \frac{1}{2m_{\Omega_{k}}}, \quad If \ m_{\Omega_{k}} > 0$$
(4)

where  $\nabla f_y(b)_v$  denotes the elements of  $\nabla f_y(b)$  corresponding to the difference between the index sets  $l_b$  and  $l_{b'}$ , where  $v = l_{b'} \setminus l_b + l_b \setminus l_{b'}$ .



#### **Greedy Search based Evasion Attack**

### • Weak submodularity of the attack objective: a bridge between Attack Quality and Regularity of the classifier

(5)

Claim 2: Attack with a weakly submodular objective can be solved with greedy search. The quality of the solution can be bounded theoretically in a similar way as in the submodular case – in plein English, <u>weakly</u> <u>submodular attack objective is attackable.</u>

THEOREM 2. [Theorem 3 in [10]] Let the evasion attack problem defined by Eq.(1) be with the classification function  $f_y$  that is  $(m_{\Omega_k}, M_{\Omega_k})$ -bounded. Let  $S_k$  be the set of the values selected by FSGS and  $S_k^*$  be the underlying optimal value set following the support size constraint. The corresponding attack objective values reached by  $S_k$ and  $S_k^*$  are  $g^{FSGS}$  and  $g^{OPT}$ , respectively. Then  $g^{FSGS}$  is bounded:

$$g^{FSGS} \ge (1 - e^{-\gamma S_k})g^{OPT}$$

where  $\gamma_{S_k}$  is the submodularity ratio of g(S) defined on the selected set  $S_k$ . Especially, if g(S) is submodular, the lower bound gives as:

$$g^{FSGS} \ge (1 - e^{-1})g^{OPT} \tag{6}$$



Weakly submodular attack objective:  $0 < \gamma < 1$ Attackable but with lower worst case quality bound

## Future Perspectives: Proactive defense with proactive AI



<u>AI in Security</u>

AI Boosted Attack Prediction and Comprehension

Security for AI

Trusted AI for security and privacy-sensitive data analytics

# Thanks for your attention