



CominLabs



CYCLE

functional to structural to functional imaging: a feedback strategy for intracranial wideband assessments

IMT Atlantique/Lab-STICC

N. Guerrero Rondón
C. Henry
A. Merlini

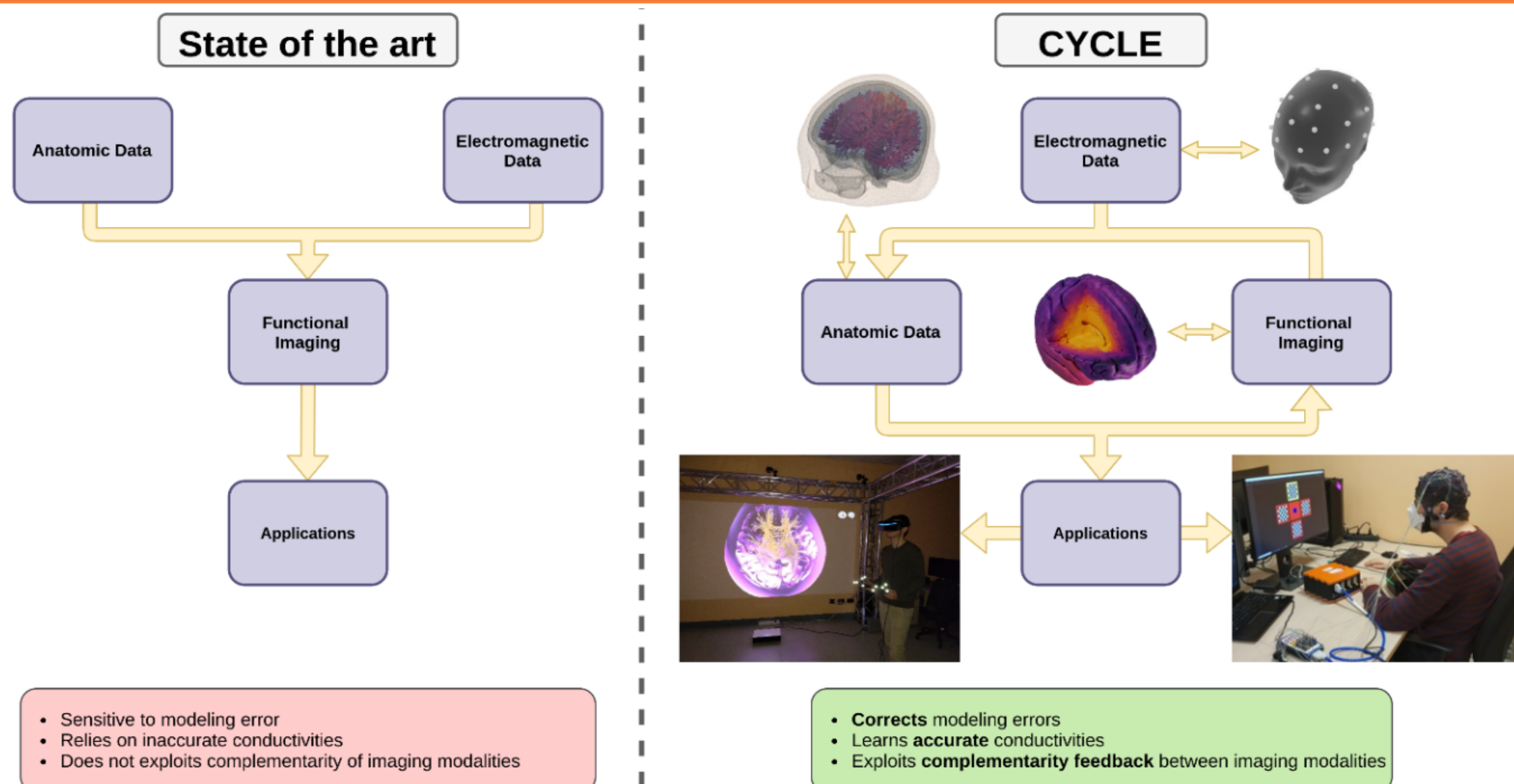
IMT Atlantique/LaTIM

S. Reynaud
F. Rousseau

IETR

D. Nikolayev
M. Zhadobov

General Description

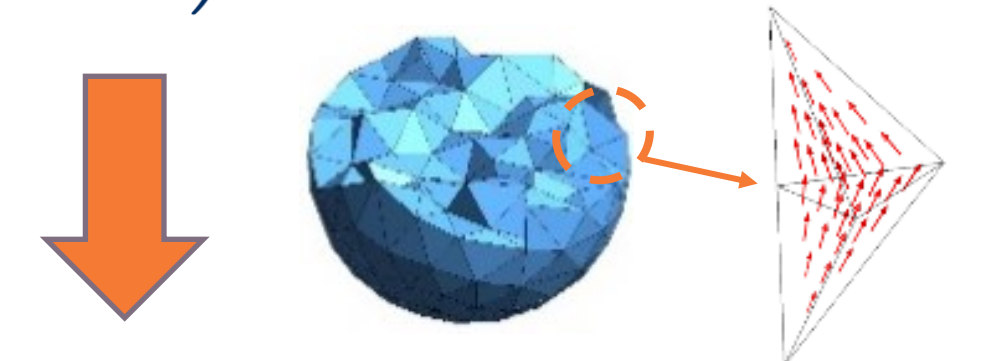


New High-Resolution and Full Wave Forward Models

Electric Flux Volume Integral Equation for Modeling Anisotropic and Inhomogeneous objects

$$\frac{D(\mathbf{r})}{\epsilon(\mathbf{r})} - (\mathcal{L}_{\kappa}^{\Omega} D)(\mathbf{r}) = E_i(\mathbf{r})$$

Discretization



$$Z\alpha = (G_{\epsilon} + Z_{\Phi} + Z_A)\alpha = v$$



Ill conditioned Gram matrix

- Low-Frequency (LF) breakdown
- High-Contrast (HC) breakdown

Regularization of HC and LF Breakdowns with Generalized Volume Quasi-Helmholtz Projectors [1]

New Projectors

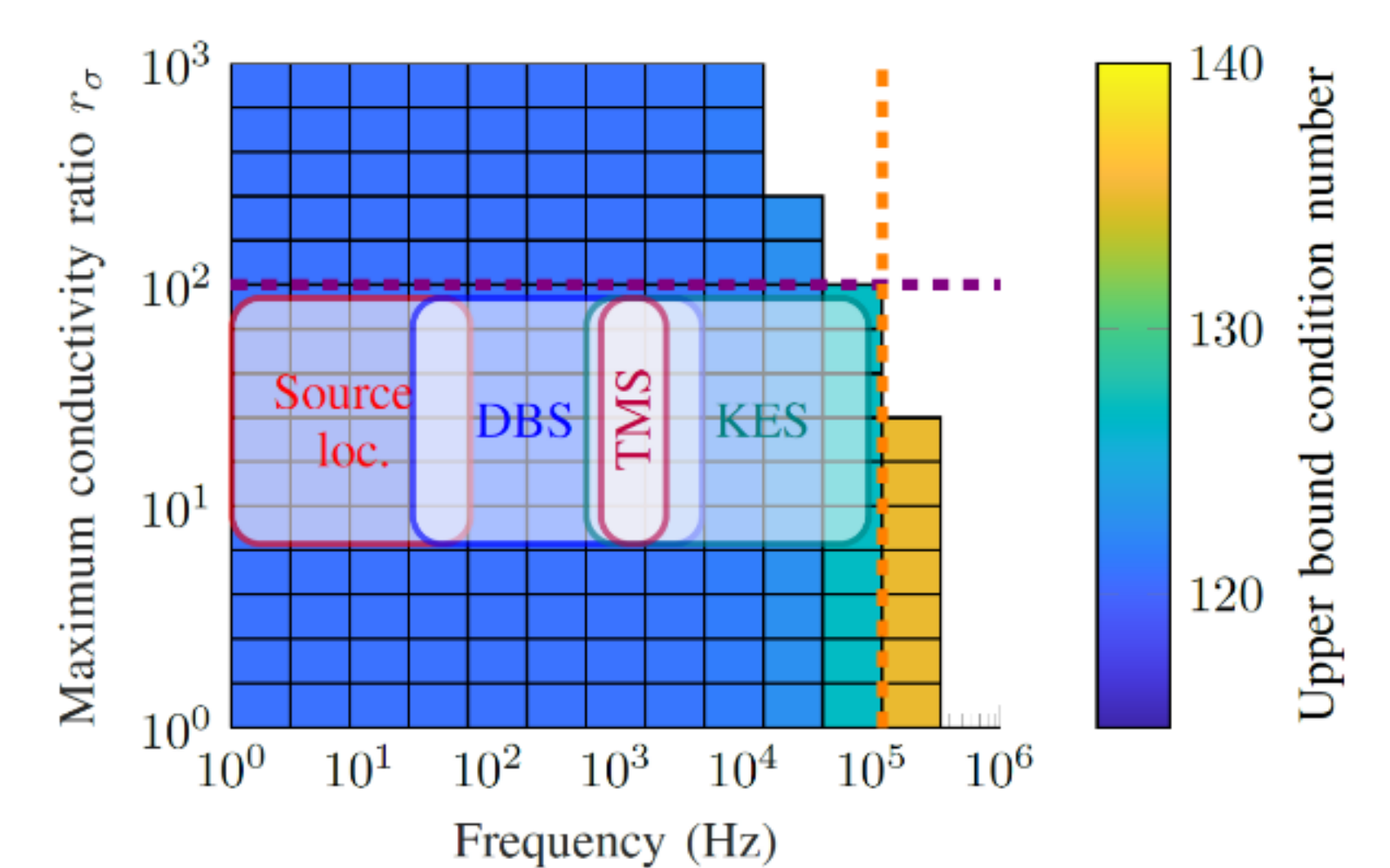
$$P_{G_{\epsilon}}^{\Sigma} = G_{\epsilon}^{-1} \Sigma (\Sigma^T G_{\epsilon}^{-1} \Sigma)^+ \Sigma^T$$

$$P_{G_{\epsilon}}^{\Lambda} = I - P_{G_{\epsilon}}^{\Sigma} = \Lambda (\Lambda^T G_{\epsilon} \Lambda)^+ \Lambda^T G_{\epsilon}$$

Left Preconditioner

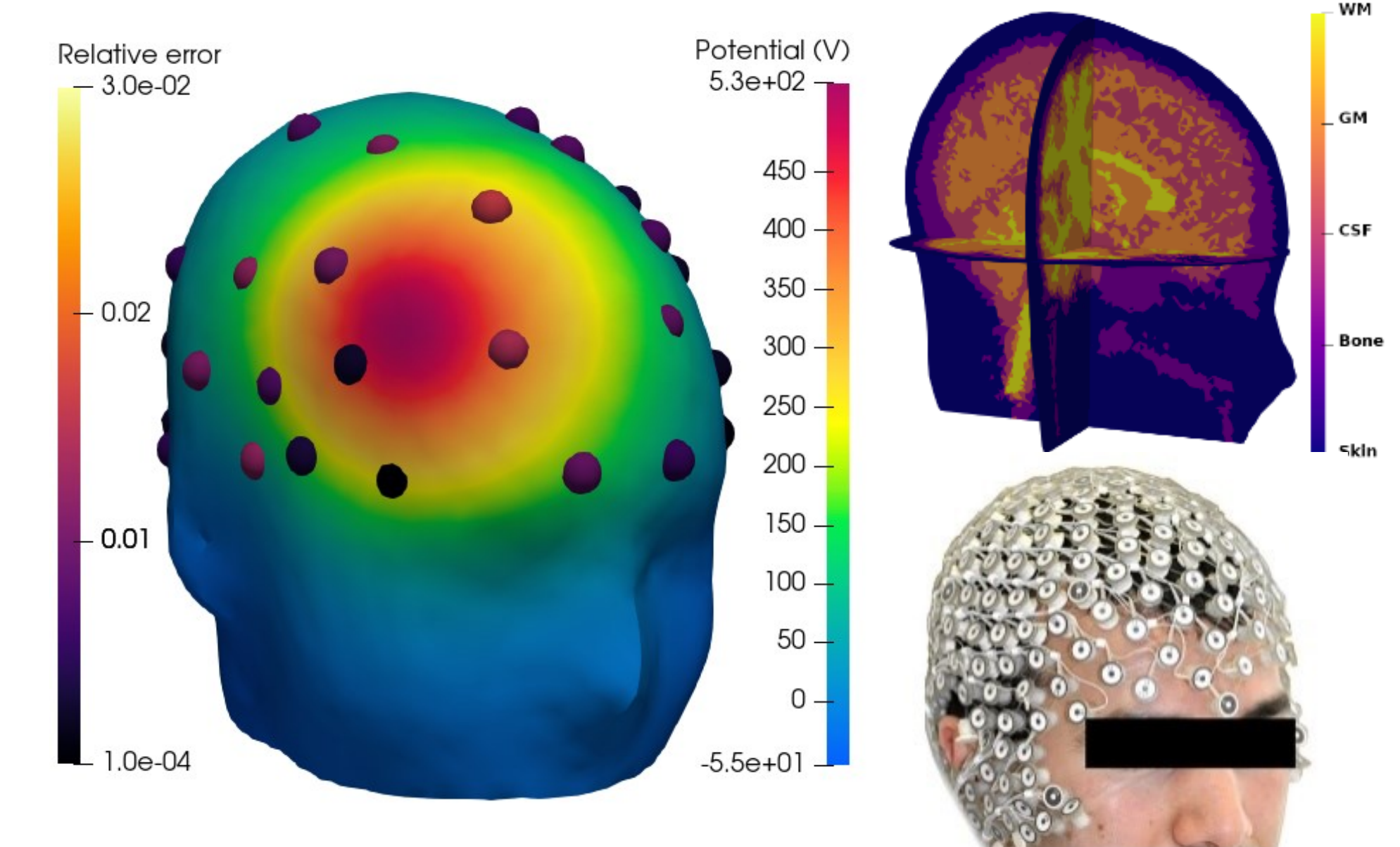
$$L_{G_{\epsilon}} = P_{G_{\epsilon}}^{\Lambda} G_{\epsilon}^{-1} + P_{G_{\epsilon}}^{\Sigma} G^{-1}$$

Range of operation of the formulation

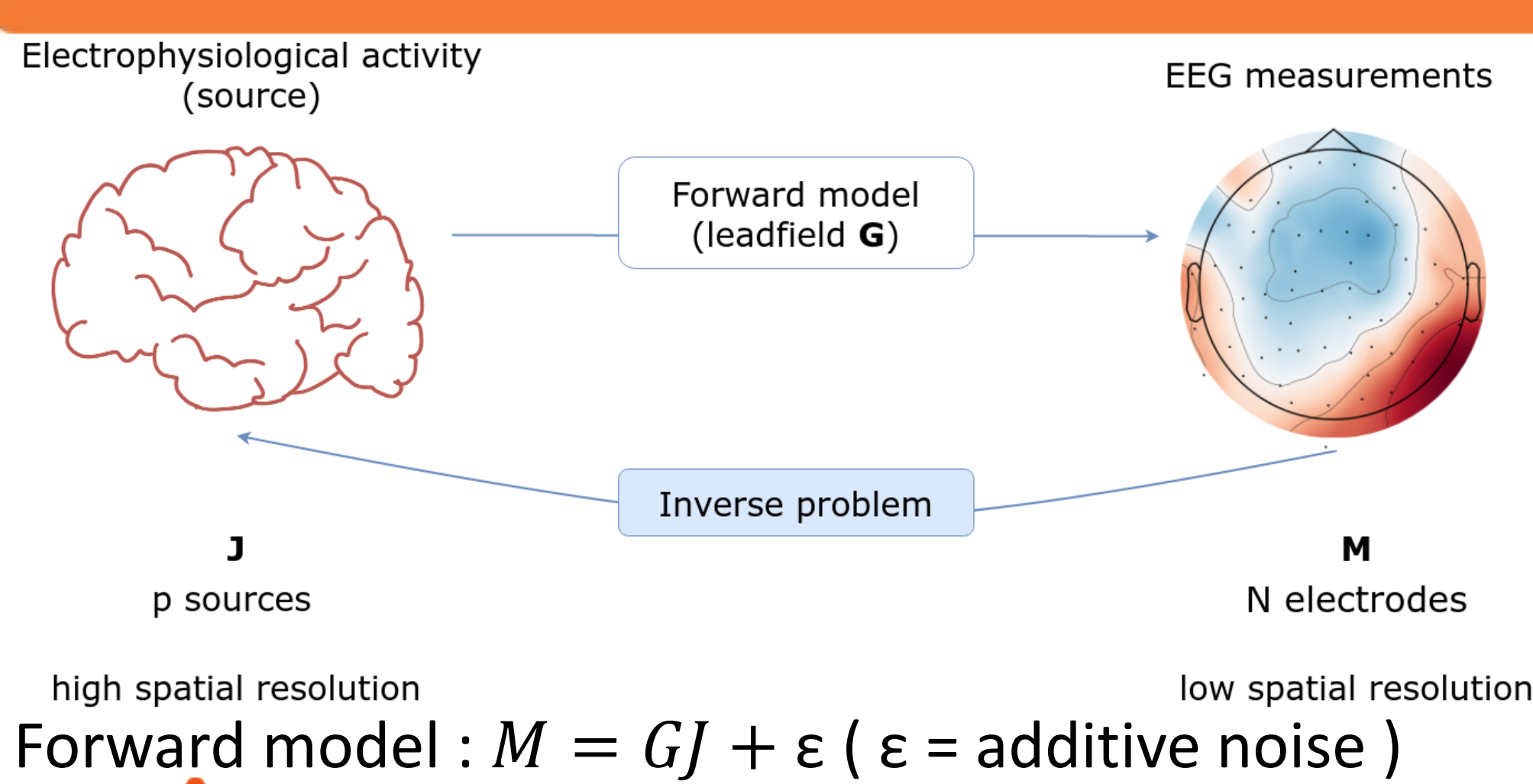


DBS: Deep brain stimulation, TMS: Transcranial Magnetic stimulation, KES: Kilohertz electrical stimulation

Validity of the EEG forward modeling



Inverse Problem in EEG



Forward model: $M = GJ + \epsilon$ ($\epsilon =$ additive noise)



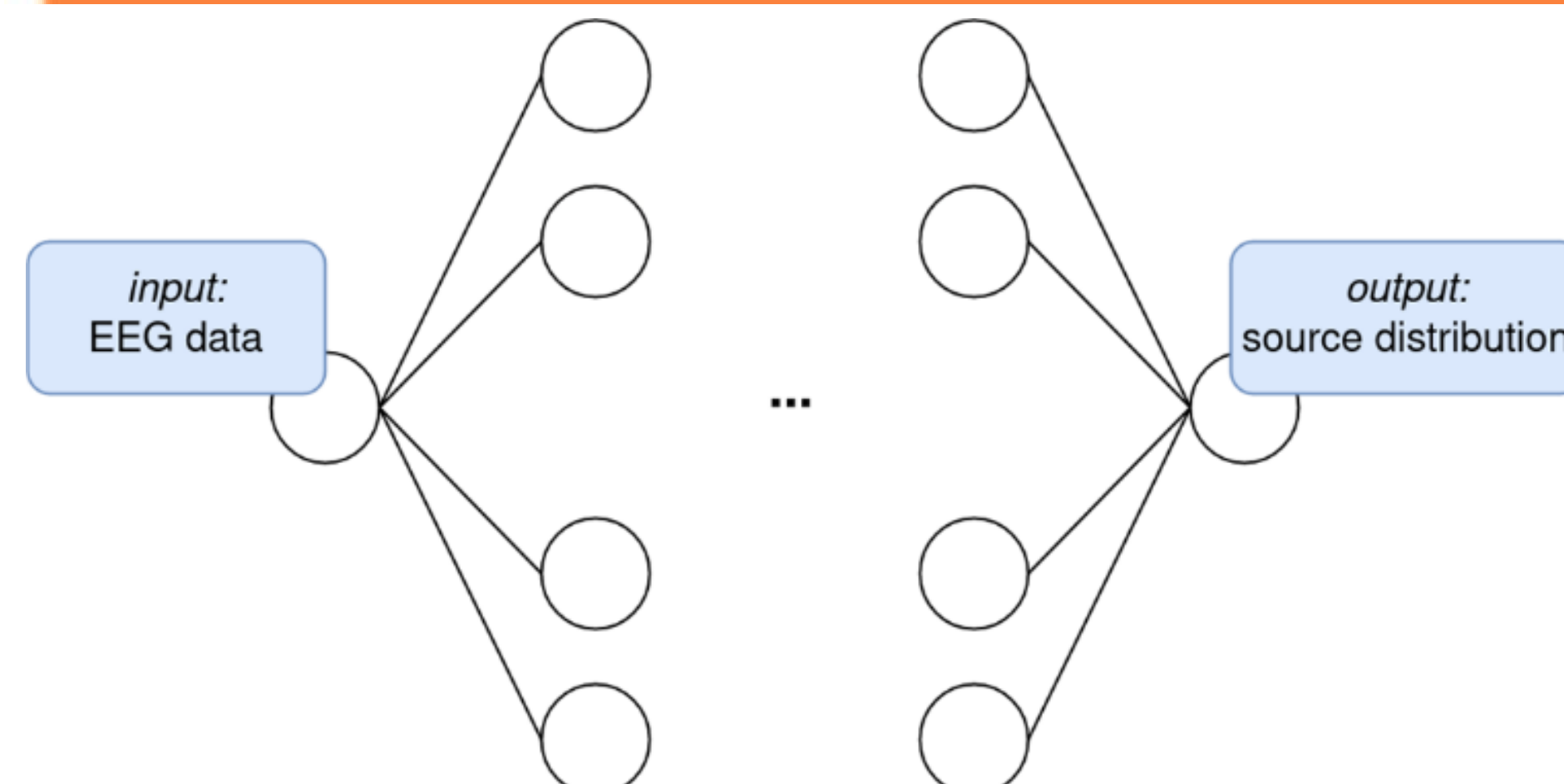
- $p \gg N$: G non-invertible
- Volume mixing/conduction

Ill-posed inverse problem: add prior on J to solve.

$$\hat{J} = \underset{J}{\operatorname{argmin}} \{ \|M - GJ\|_F + \lambda R(J) \}$$

Data fit term Regularization term

Deep Learning for Electrophysiologic Source Imaging

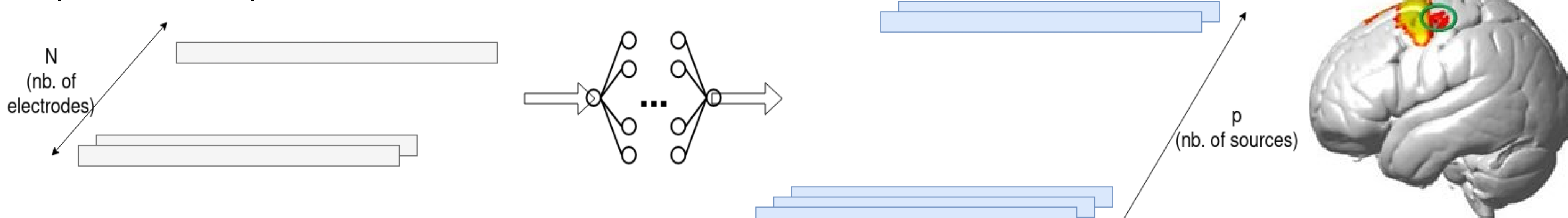


Network parameters (e.g MSE loss):

$$\hat{\theta} = \underset{\theta}{\operatorname{argmin}} \left\{ \sum_{j=1}^p \sum_{k=1}^T (J_{j,k} - \hat{J}_{j,k})^2 \right\}$$

1d-CNN for ESI

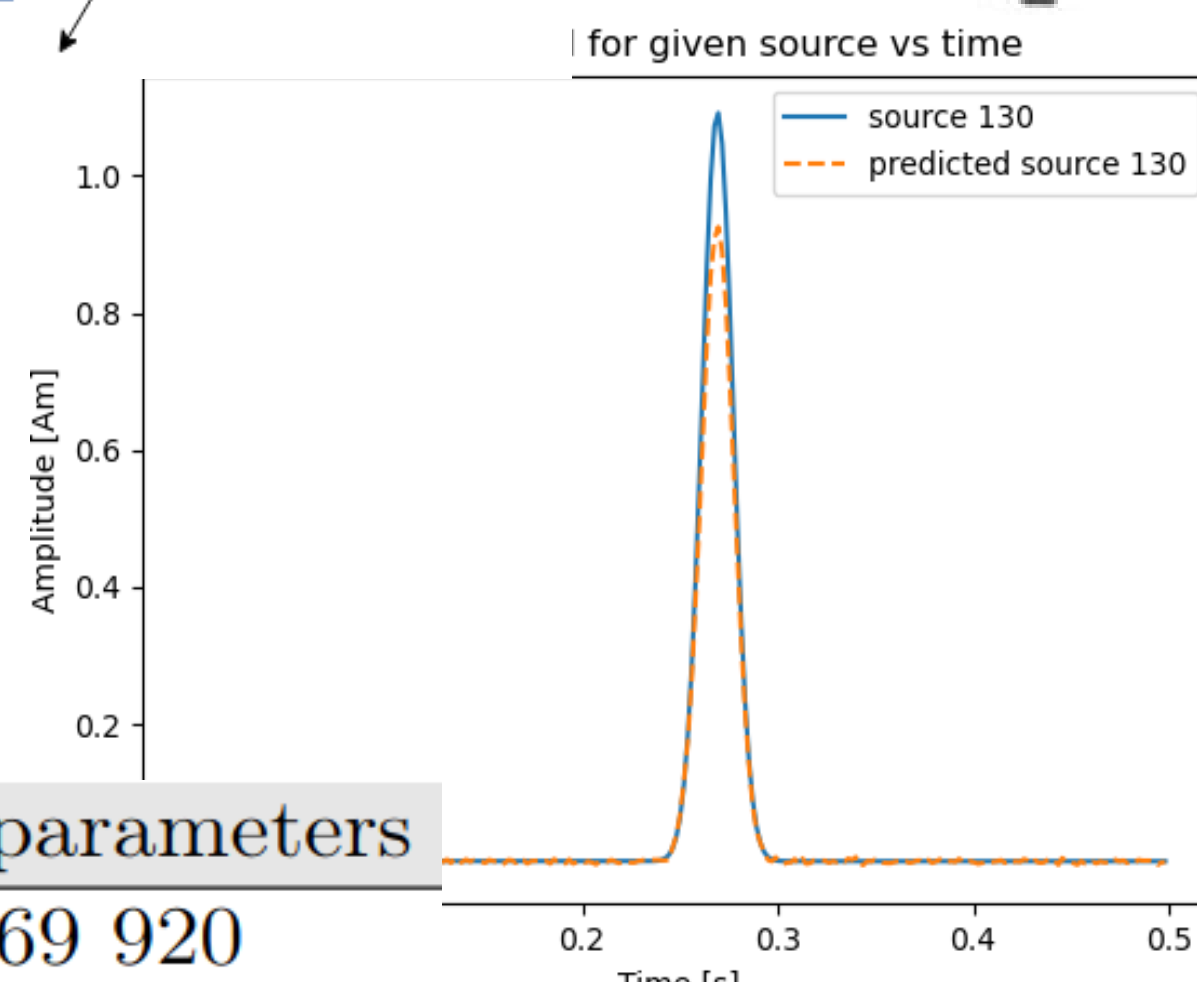
Input and output as multivariate time series



- Challenges:**
- Accuracy drops when source space dimension increases
 - Number of parameters increases with source space dimension

Head Model	Spatial Pattern	Temporal Pattern
3 layers	1 active source	SEREAGA's ERP like activation
61 electrodes		
2 source spaces:	Random parameters:	
- 132 sources	source position, latency,	
- 1284 sources	width, amplitude	

p	accuracy	nb. parameters
132	100%	69 920
1284	82.4%	5 720 400



Ongoing Work and Next Steps

- Software acceleration of the forward solver using a parallelized implementation of the adaptive integral method
- Complexify simulations (source extension, multiple sources, other waveforms, noise)
- Work on IP's data representation and architecture choice
- Integrate BCI feedback strategy
- Experimental Validation



Published Results

- [1] C. Henry, A. Merlini, L. Rahmouni, and F. P. Andriulli. "On a Low-Frequency and Contrast Stabilized Full-Wave Volume Integral Equation Solver for Lossy Media". In: IEEE Transactions on Antennas and Propagation (2022)
- [2] C. Henry, A. Merlini, and F. P. Andriulli. "Oblique Quasi-Helmholtz Projectors for Electric Flux Volume Integral Equations: Differential Forms and Conditioning Analysis". In: 2022 IEEE APS URSI (July 2022)
- [3] D. Consoli, C. Henry, A. Dély, L. Rahmouni, J. E. Ortiz Guzman, T. L. Chhim, S. B. Adrian, A. Merlini, and F. P. Andriulli. "On the Fast Direct Solution of a Preconditioned Electromagnetic Integral Equation". In: 2022 IEEE ICEAA (Sept. 2022)