Integration of symbolic knowledge into DL

HyAIAI : Hybrid Approaches for Interpretable AI

MULTISPEECH, ORPAILLEUR, TAU

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Innia

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Background

BSc in Mathematics MSc in Machine Learning

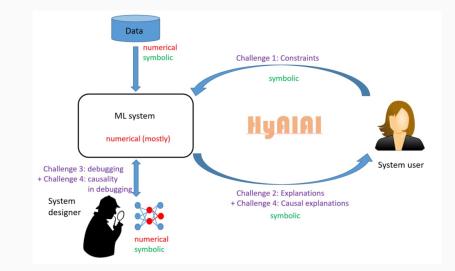
Master Thesis

Multivariate analysis of the parameters in a handwritten digit recognition LSTM system

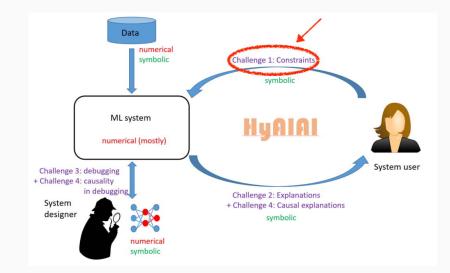
Interests

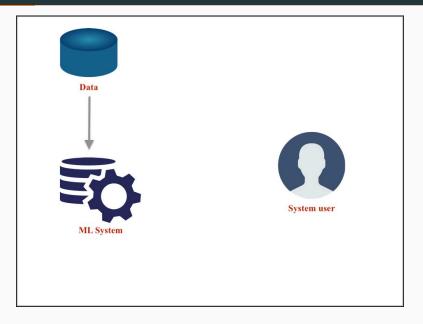
Artificial Neural Networks, Deep Learning, Explainable AI, Mathematics, Machine Learning, Music Technology

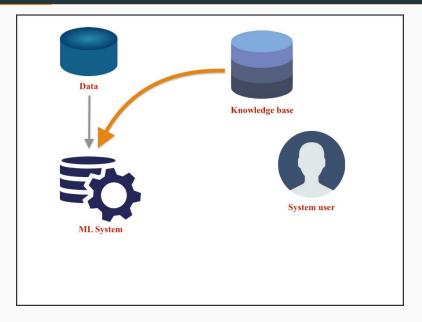
HyAIAI Challenges

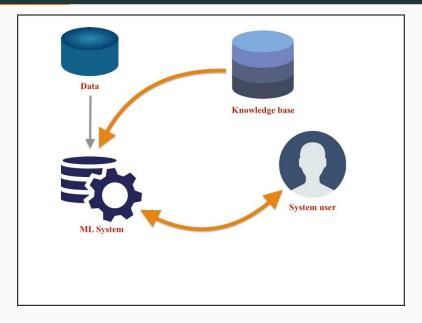


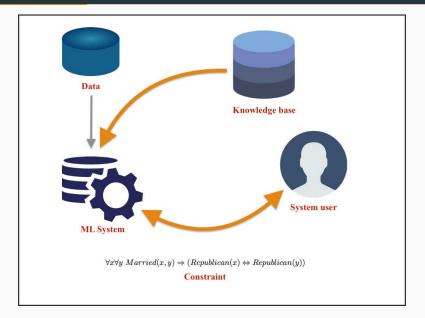
HyAIAI Challenges











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- verifying that the constraints are imposed
- analyzing the impact in terms of error and computational time
- testing the ability of the system to discover concepts and their relations

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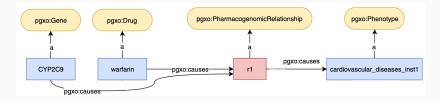
Experiments will possibly focus on:

- medical text data
- Pharmacogenomics (PGx)
- Pierre Monnin, Jo Legrand, Patrice Ringot, Andon Tchechmedjiev, Clément Jonquet, Amedeo Napoli and Adrien Coulet. PGxO and PGxLOD: a reconciliation of pharmacogenomic knowledge of various provenances, enabling further comparison. BMC Bioinformatics, 2019.

- PGx relationships in the form of triplets = (genomic variation, drug, phenotype)
- knowledge in PGx can be found in knowledge bases, scientific journals and clinical records



- triplet completion: predict a component in the triplet given the other two



Julia Peyre, Ivan Laptev, Cordelia Schmid, and Josef Sivic. Detecting unseen visual relations using analogies. International Conference on Computer Vision (ICCV), 2019.

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t = (subject, predicate, object)

Learning representations for such triplets and their individual components

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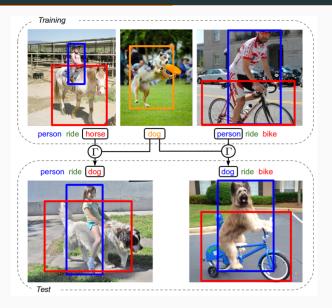
 $\begin{array}{l} \textbf{Connection with our task} \rightarrow \text{Ontologies are represented by triplets} \\ + \text{ dealing with relations/reasoning} \end{array}$

<u>Task</u>: Based on a query t = (s, p, o) retrieve the image described by the triplet

Example: t = (person, ride, dog)

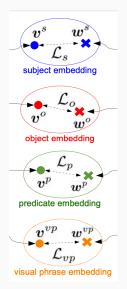
where training data of the individual components are available but the exact combination is unseen during training

Objective



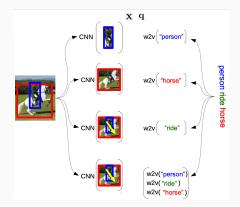
Visual relations are represented in joint visual-semantic embedding spaces:

- unigram level: separate subject (s), object
 (o) and predicate (p)
 embeddings
- trigram level:
 using a visual phrase (vp)
 embedding of the whole triplet



There are two kind of input features:

- visual representation (x) pre-computed appearance features from CNN object detector
- language representation (q) pre-trained Word2vec embeddings for each individual entity in t = (s, p, o)



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For each input type $b \in \{s, o, p, vp\}$ **x** and **q** are projected into a common *d*-dimensional space using:

$$\mathbf{v}_i^b = f_v^b(\mathbf{x})$$

 $\mathbf{w}_t^b = f_w^b(\mathbf{q})$

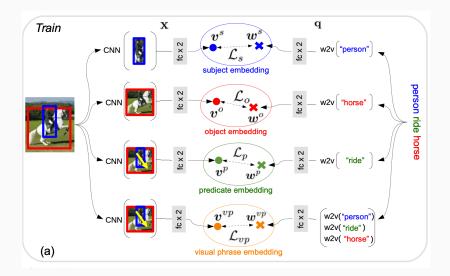
Training consists of optimizing the joint loss:

$$\mathcal{L}_{\textit{joint}} = \mathcal{L}_{s} + \mathcal{L}_{o} + \mathcal{L}_{p} + \mathcal{L}_{\textit{vp}}$$

where for $b \in \{s, o, p, vp\}$:

$$\begin{split} \mathcal{L}_b = \sum_{i=1}^N \sum_{t \in \mathcal{V}_b} \mathbbm{1}_{y_t^i = 1} \log \left(\frac{1}{1 + e^{-\mathbf{w}_t^{b^T} \mathbf{v}_i^b}} \right) \\ + \sum_{i=1}^N \sum_{t \in \mathcal{V}_b} \mathbbm{1}_{y_t^i = 0} \log \left(\frac{1}{1 + e^{\mathbf{w}_t^{b^T} \mathbf{v}_i^b}} \right) \end{split}$$

Training Overview



Recognize a target triplet t' = (s', p', o') given a source triplet t = (s, p, o) using analogy transformation in the visual phrase embedding space

This is done in 2 steps:

- learning how to perform the transformation from vp_t to $vp_{t'}$
- selecting which visual phrases are suitable for analogy transfer

Given a source triplet t = (s, p, o) and a target triplet t' = (s', p', o'):

$$\mathbf{w}_{t'}^{vp} = \mathbf{w}_t^{vp} + \Gamma(t, t')$$

Similar to the idea of arithmetic operations with word embeddings: "king" - "man" + "woman" = "queen"

Here: "person ride horse" - "horse" + "cow" = "person ride cow"

Given a source triplet t = (s, p, o) and a target triplet t' = (s', p', o'):

$$\mathbf{w}_{t'}^{vp} = \mathbf{w}_{t}^{vp} + \Gamma \left[\begin{array}{c} \mathbf{w}_{s'}^{vp} - \mathbf{w}_{s}^{vp} \\ \mathbf{w}_{p'}^{vp} - \mathbf{w}_{p}^{vp} \\ \mathbf{w}_{o'}^{vp} - \mathbf{w}_{o}^{vp} \end{array} \right]$$

For example transforming t = (person, ride, horse) to t' = (person, ride, cow) will correspond to:

$$\mathbf{w}_{t'}^{vp} = \mathbf{w}_{t}^{vp} + \Gamma \begin{bmatrix} \mathbf{0} \\ \mathbf{0} \\ \mathbf{w}_{cow}^{vp} - \mathbf{w}_{horse}^{vp} \end{bmatrix}$$

The selection is based on the cosine similarity of their corresponding subject/object/predicate representations in the embedding space More specifically:

$$G(t,t') = \sum_{b \in \{s,p,o\}} \alpha_b \mathbf{w}_t^{b^T} \mathbf{w}_{t'}^{b}$$

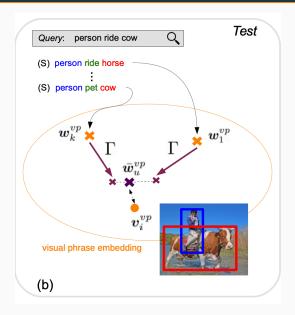
where α_b controls the contribution of subject/object/predicate similarities

At test time the visual phrase embedding of an unseen triplet u, vp_u is computed by:

$$\widehat{\mathbf{w}}_{u}^{vp} = \sum_{t \in \mathcal{N}_{u}} G(t, u) (\mathbf{w}_{t}^{vp} + \Gamma(t, u))$$

where \mathcal{N}_u is the set of the k-most similar source triplets according to G

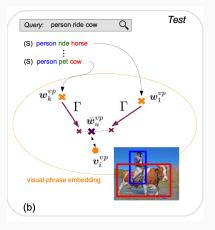
Test Phase



For every image in the test set we compute \mathbf{v}_i^b

Then we measure their similarity score with the unseen triplet u as:

$$S_{u,i} = \prod_{b \in \{s,p,o,vp\}} \frac{1}{1 + e^{-\mathbf{w}_u^b^T \mathbf{v}_i^b}}$$





- (S) person stand on sand
- (S) person stand on grass
- (S) person stand on street
- (S) person sit on motorcycle
- (S) person sit on bench









- use triplets whose subjects or objects are themselves triplets
- use ontology in learning word/visual embeddings to ensure that they meet the rules e.g. the difference between man and woman and between king and queen is perfectly equal, not just approximated
- add a confidence value for every triplet: probability that a relationship is possible from existing relationships and similarities between subjects, objects or predicates (from existing ontology or from the data)