

# Impact of Traffic Lights on Trajectory Forecasting of Human-driven Vehicles Near Signalized Intersections

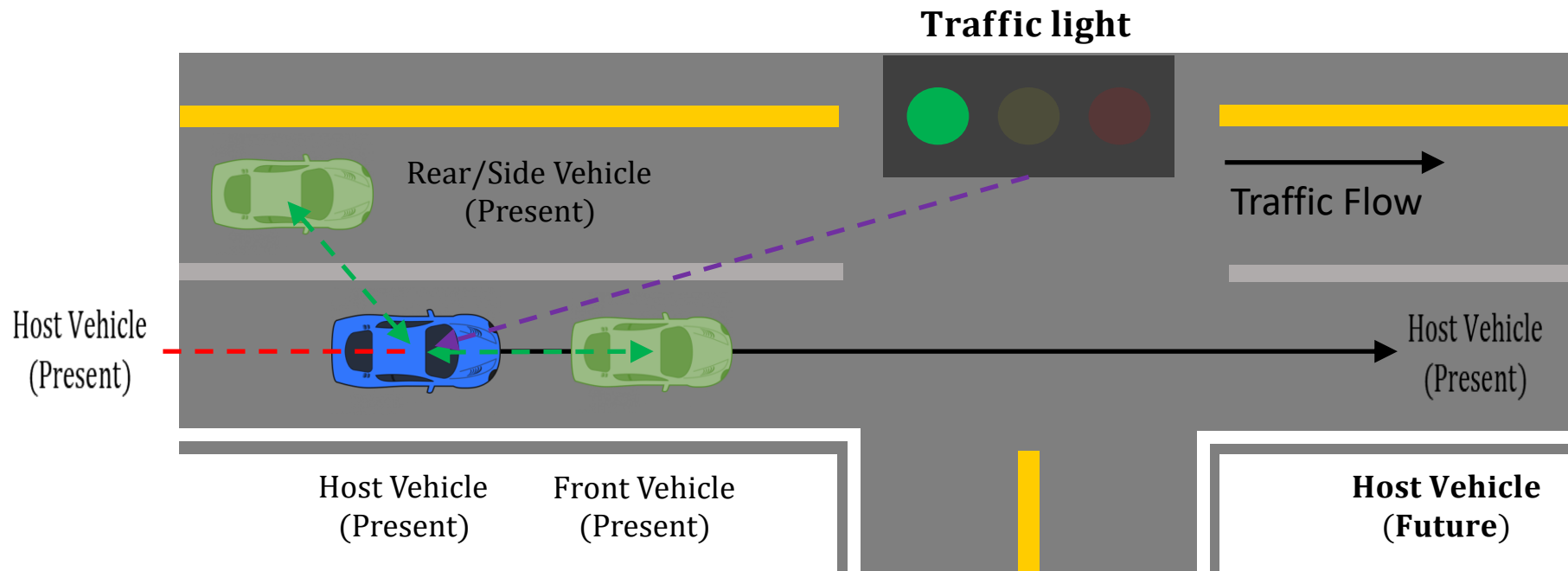
Geunseob (GS) Oh, Hwei Peng  
University of Michigan





We tackle this challenging vehicle forecasting problem near traffic lights (TLs)

Goal: Trajectory forecasts for the host vehicle,  $X_{0:T}^{HV}$ .



Core elements of prediction near TL include:

**Well addressed in literatures**

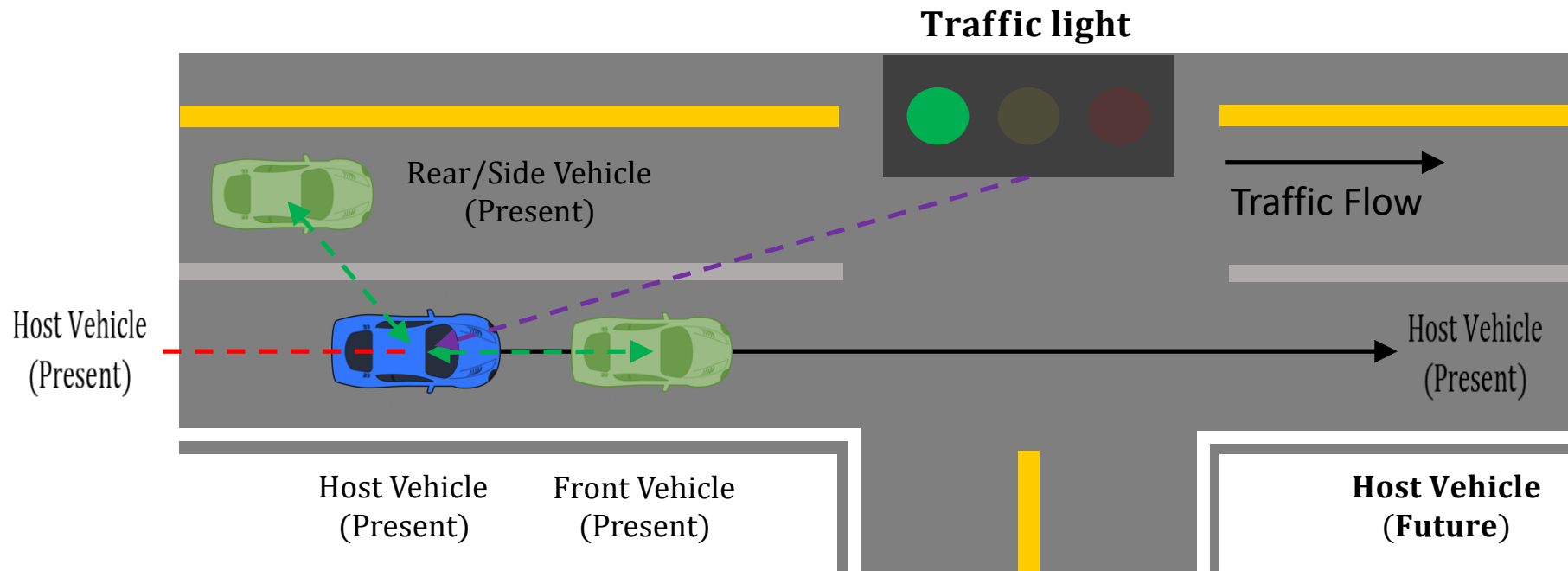
1. History of the host vehicle (HV),  $X_{-\tau:0}^{HV}$

2. Interactions with other vehicles,  $X_{-\tau:0}^{FV}$ ,  $X_{-\tau:0}^{RV}$ ,  $X_{-\tau:0}^{SV}$

3. Rule imposed by traffic light (TL),  $X_t^{TL}$  → Has received much less attention, despite the importance.

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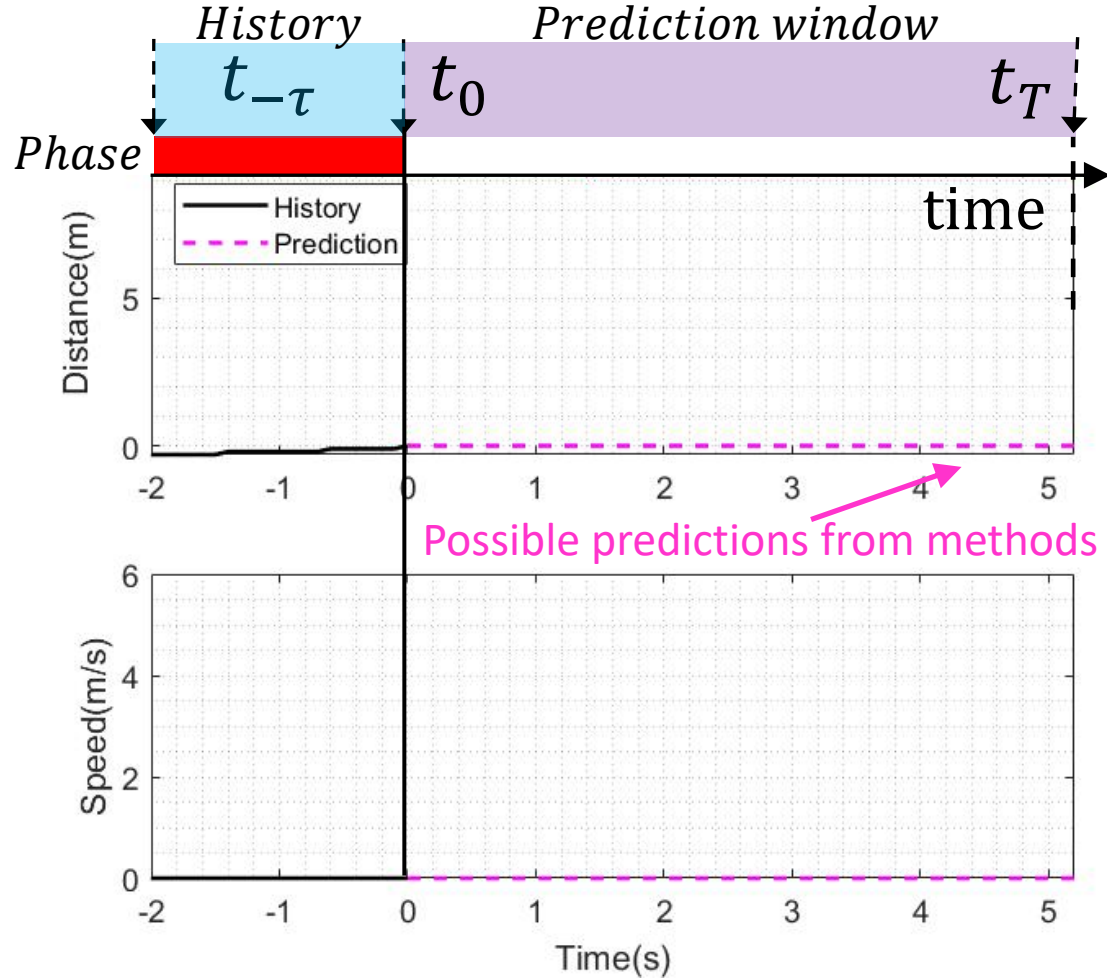


Our contribution:

1. **Identification of the impacts of traffic lights** on prediction; qualitative and quantitative
2. **A novel prediction approach** that is mindful of the impacts which utilizes vehicle-to-infrastructure (V2I) communications.

# How does traffic light impact the prediction?

## Example 1

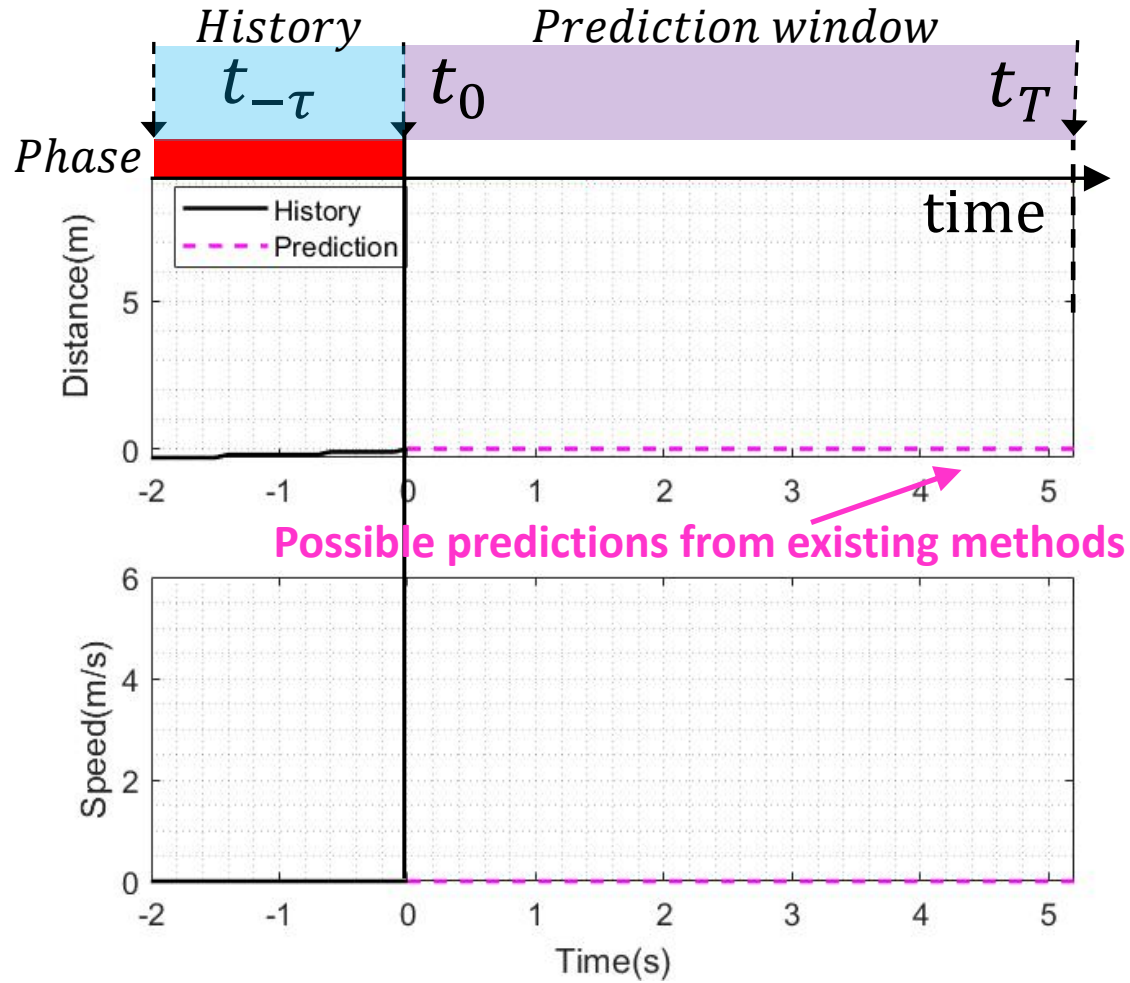


Possible predictions from methods that do not consider  $X_t^{TL}$

Given the phase (Red) at  $t=0$ ,  $X_{-τ:0}^{HV}$ ,  $X_{-τ:0}^{FV}$   
Existing methods would predict HV to stay put

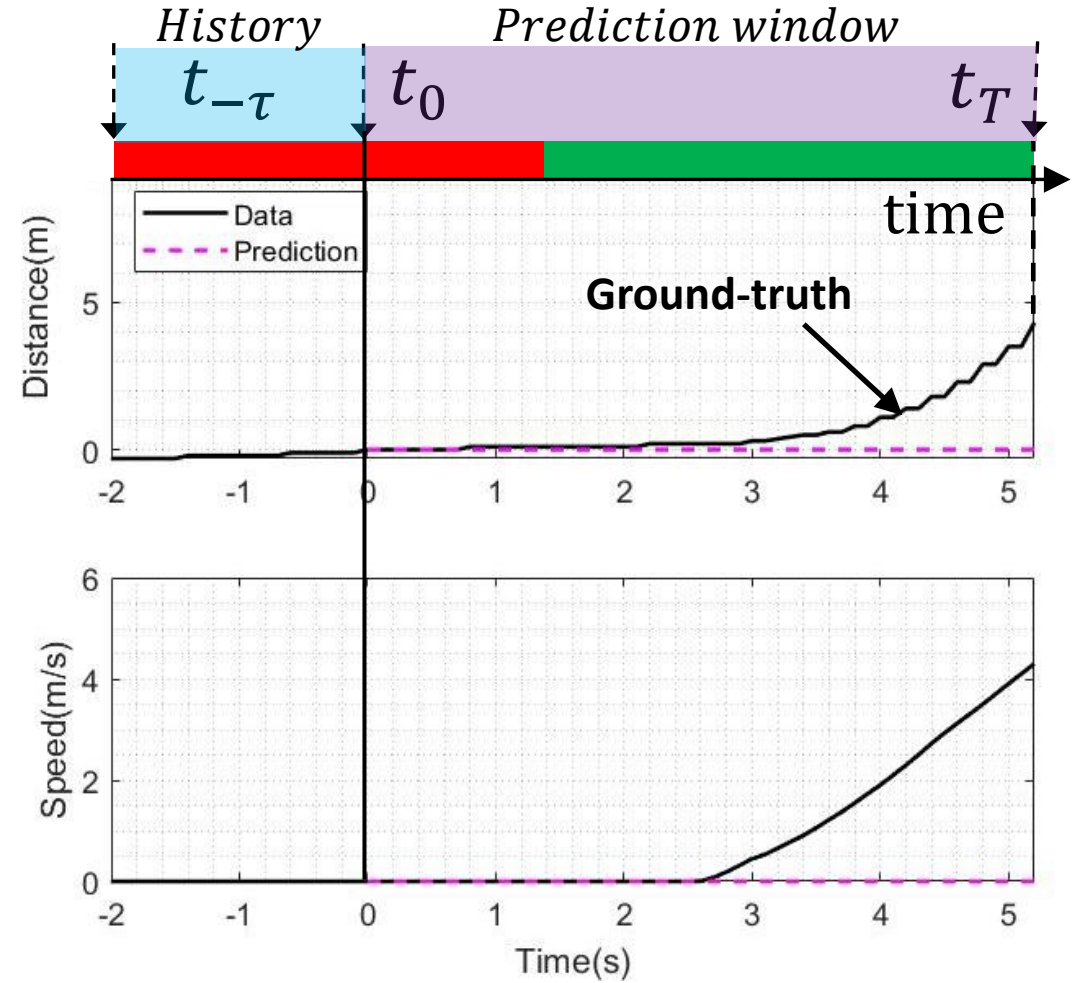
# How does traffic light impact the prediction?

## Example 1



Given the phase (Red) at  $t=0$ ,  $X_{-\tau:0}^{HV}$ ,  $X_{-\tau:0}^{FV}$   
Existing methods would predict HV to stay put

## The truth is ...

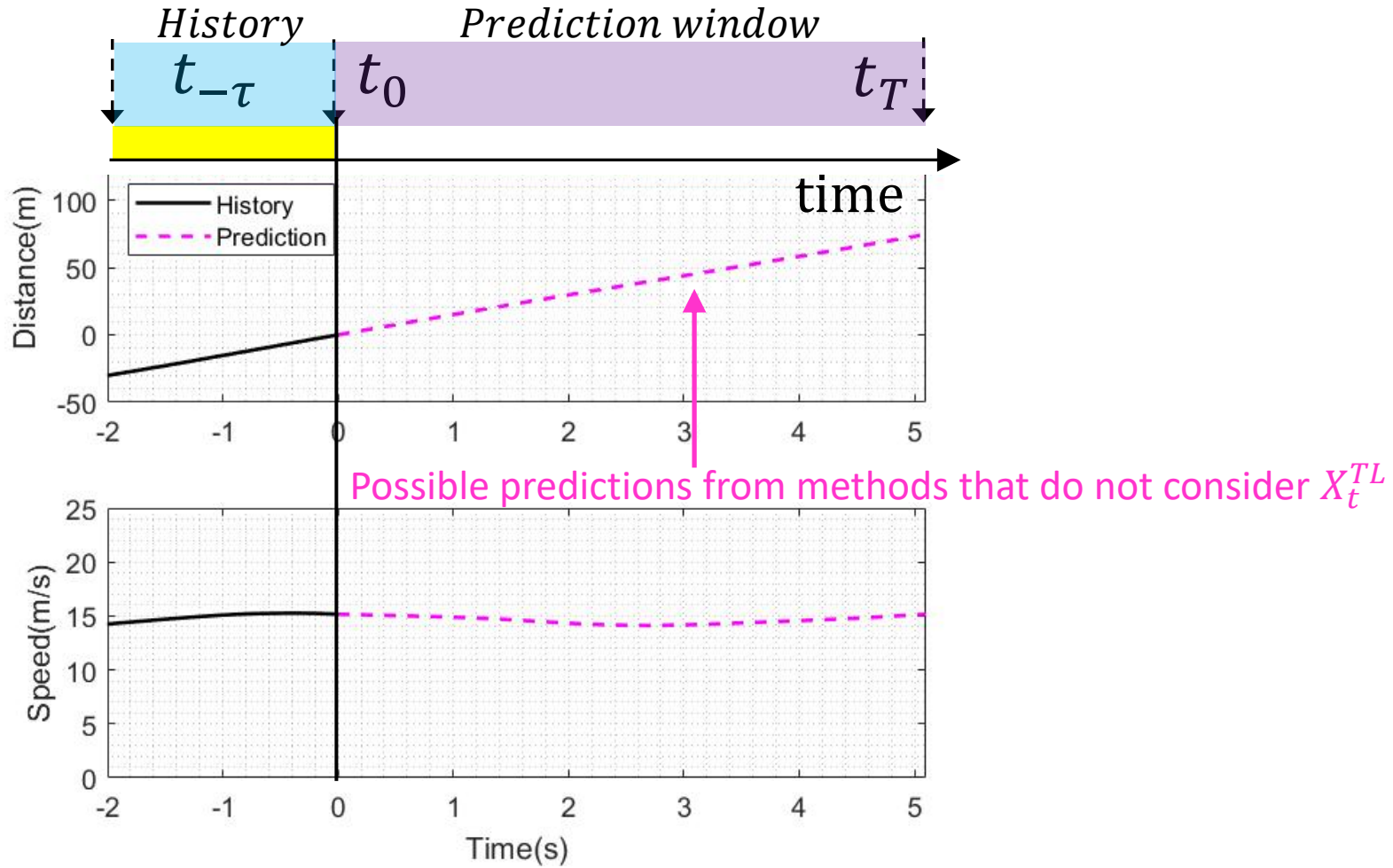


Actually, the phase changed to Green shortly after.  
The ground-truth trajectory started accelerating.



# How does traffic light impact the prediction?

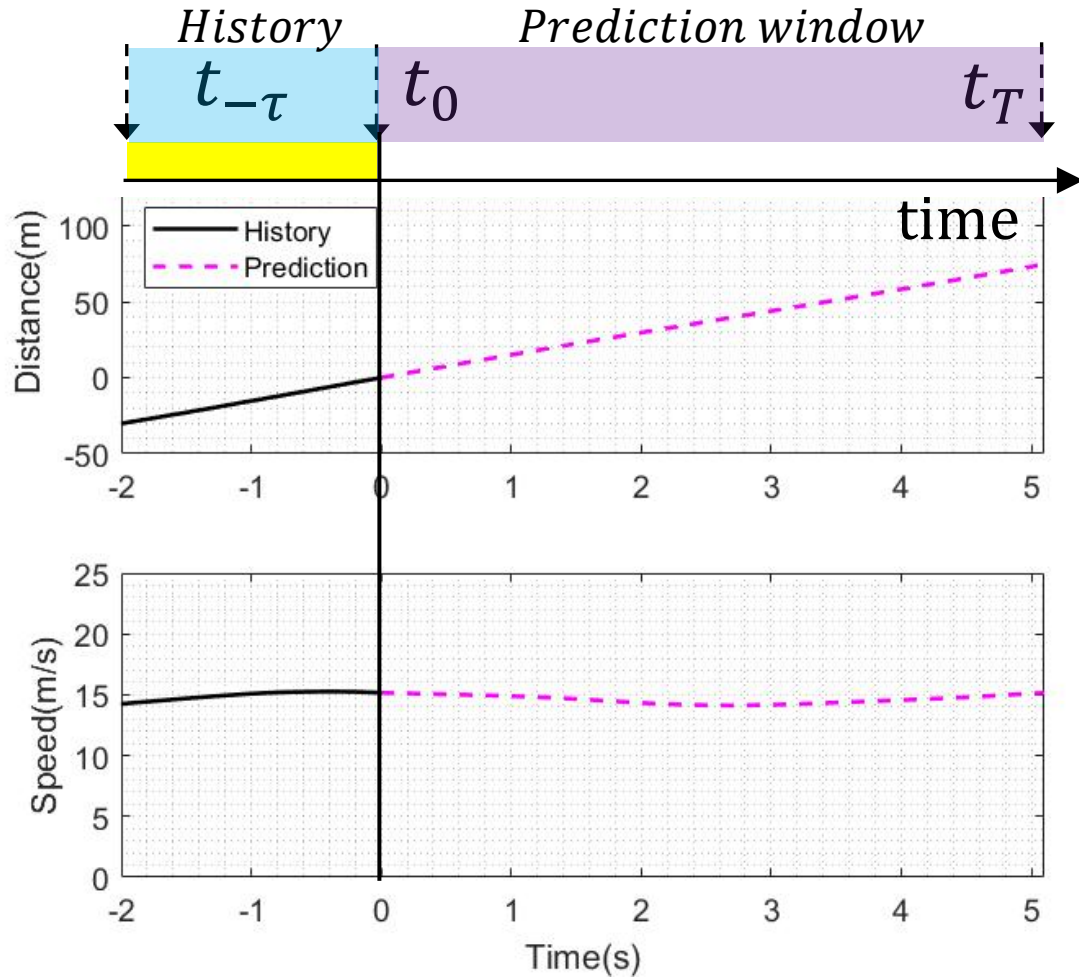
## Example 2



Given the phase (Yellow) at  $t=0$ ,  $X_{-\tau:0}^{HV}$ ,  $X_{-\tau:0}^{FV}$   
Existing methods would predict HV to keep the speed

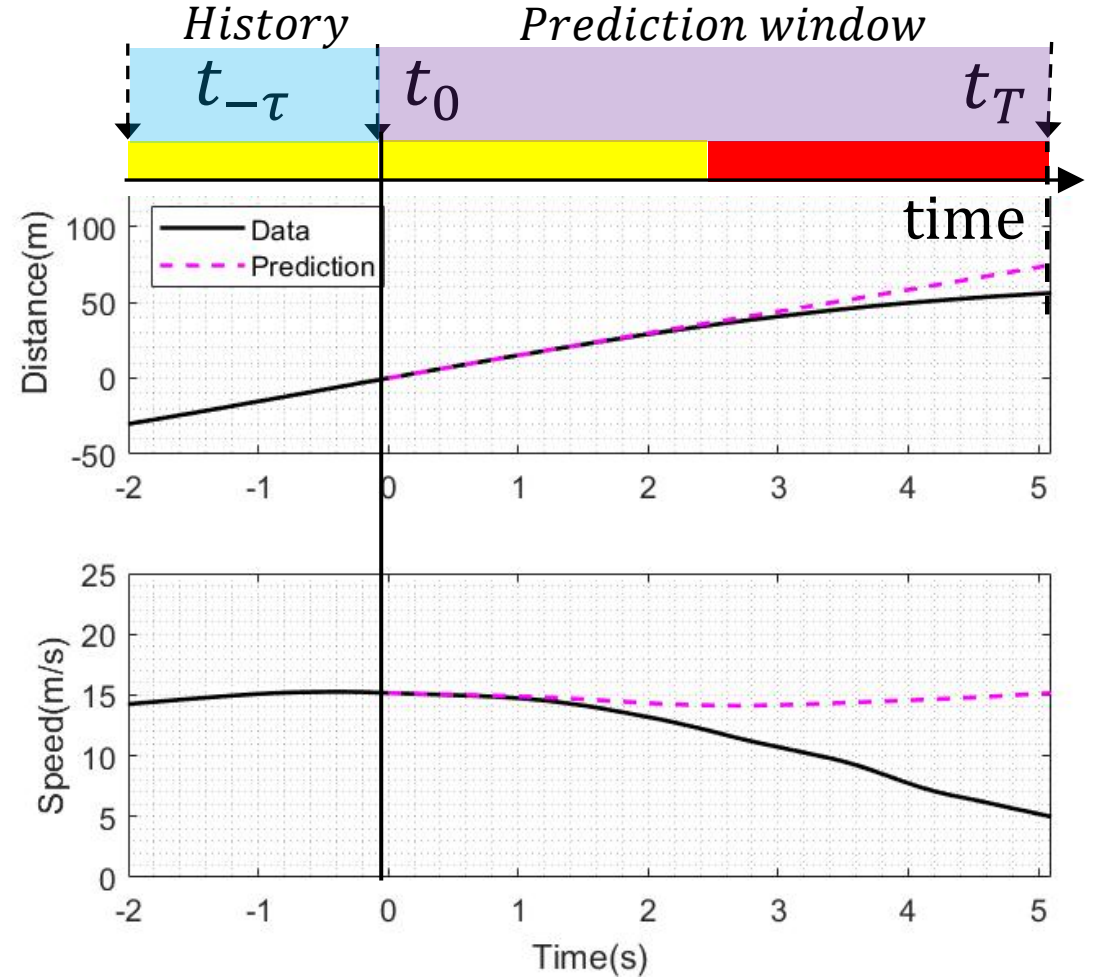
# How does traffic light impact the prediction?

## Example 2



Given the phase (Yellow) at  $t=0$ ,  $X_{-\tau:0}^{HV}$ ,  $X_{-\tau:0}^{FV}$   
Existing methods would predict HV to keep the speed

## The truth is ...



Actually, the phase changed to Red shortly,  
The ground-truth trajectory started decelerating.



# We propose a solution to the problem we identified

Idea: Utilizing vehicle communications to infrastructures (V2I), obtain **the future profiles of TL** states ahead of time

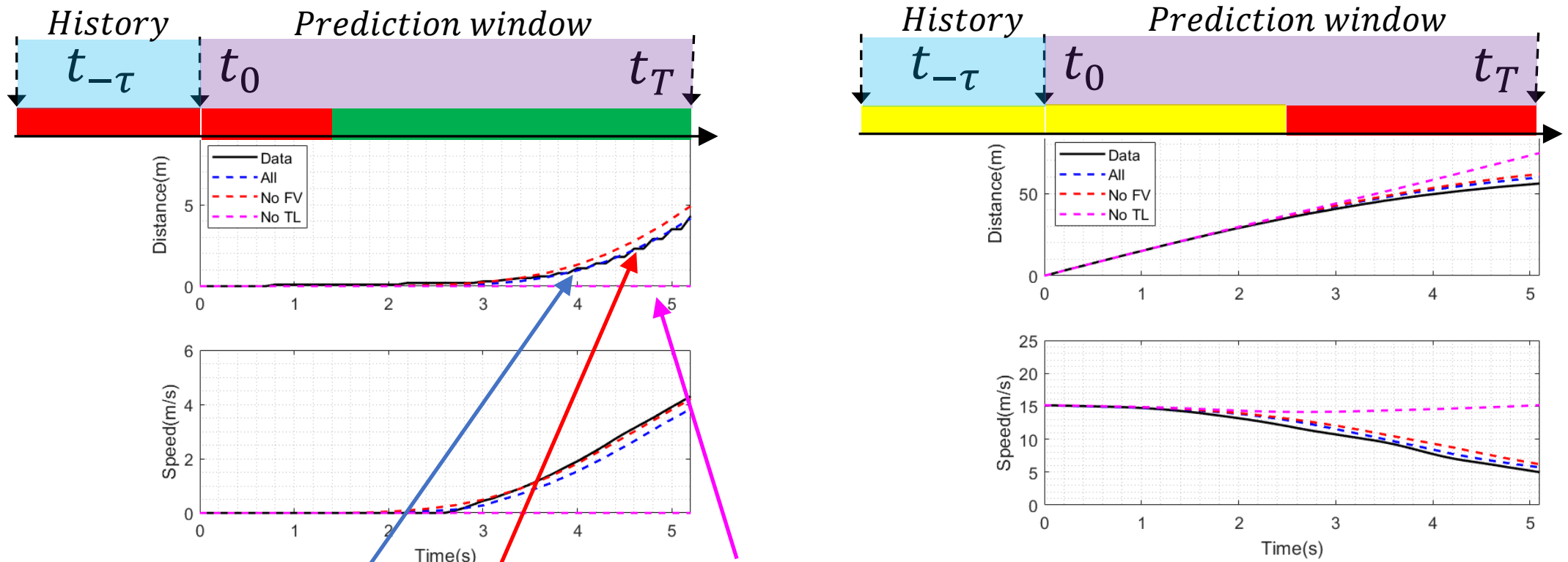


Image Reference: USDOT

**Future phase and timing** can be shared through V2I

# A sneak peek of the results

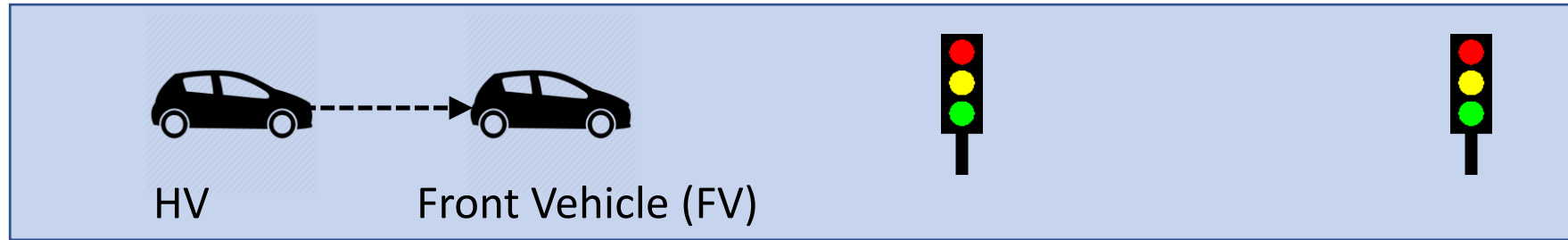
When we leverages **the future profiles of TL** ( $X_{0:5s}^{TL}$ ),  
the predictions are so much better!



Pink: methods that do not leverage  $X_{0:5s}^{TL}$

Blues and Reds (Fig. 4) are trajectories forecasted from our methods

# Prediction model - setup



A data-driven approach

A mapping function  $f$  from states to actions

$$f(X_{t-\tau:t}) = a_t^{HV}$$

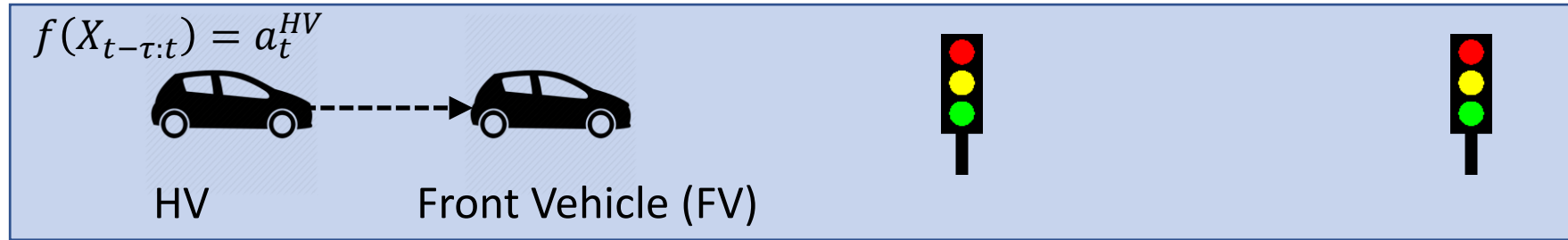
$X_t$ : state of the host vehicle + environment at time  $t$   
 $a_t^{HV}$ : action of the host vehicle (acceleration)

We simplify the problem:

longitudinal prediction with the presence of a preceding vehicle

Dataset limitation: rear/side vehicles were not modeled.

# Prediction model - setup



In detail, a state is defined as:  $X_t := [X_t^{HV}, X_t^{FV}, X_t^{TL}, TOD_t]$

Host vehicle state ( $X^{HV}$ ): Longitudinal position (i.e., distance to the intersection) & speed

Context ( $C := [X^{FV}, X^{TL}, TOD]$ ):

$X^{FV} := [FV_t, r_t, \dot{r}_t]$  FV state: captures interactions with the front vehicle

(binary flag for presence of FV, relative pos, speed)

$X^{TL} := [P_t, T_t]$  TL state: captures interactions with traffic light

(**phase** (G,Y,R) and **timing** (time elapsed since the phase change))

$TOD$  Time of the day (0-24): macro-scopic traffic characteristics

Output: Action taken by HV (longitudinal acceleration)

# Dataset

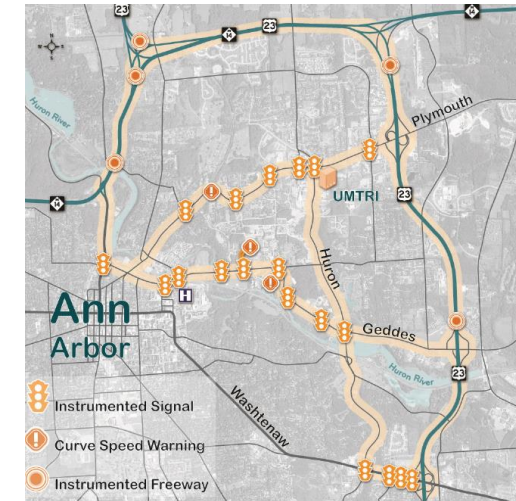
We used real-world driving records & traffic light states from SPMD:

Naturalistic Driving Records of 3,000 vehicles over 2 years

Host vehicle (GPS, kinematics, time information)

Traffic light (TL state profile)

Front Camera (post-processed information on FV)



SPMD is a dataset established by USDOT & UMTRI

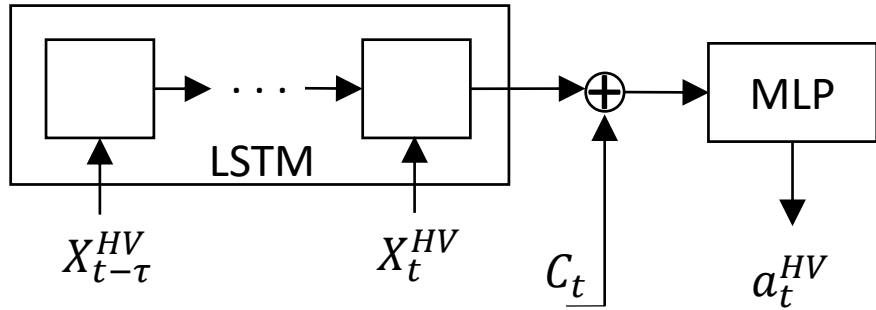


A signalized intersection (Plymouth-Huron Pkwy, Ann Arbor) was used for a study  
The study includes 50 cars passed through the intersection  
Total 502,253 sample trips made during 03/2015 – 05/2017 (27 months)



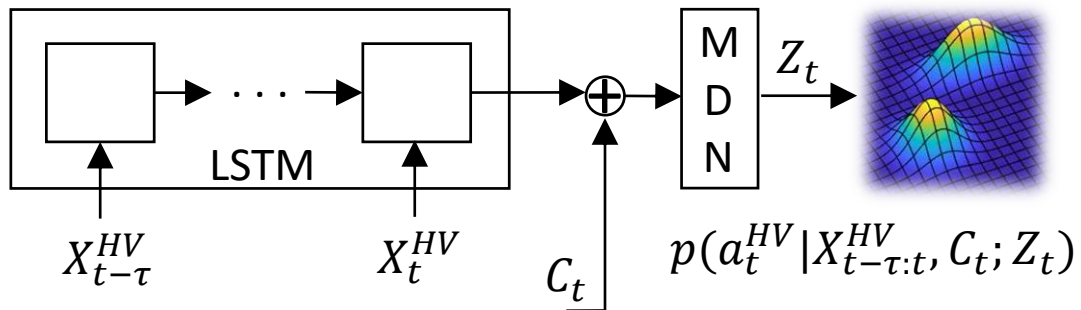
# Prediction model

*Deterministic Policy ( $f_d$ ) Learning: RNN*



**(a)**  $f_d(X_{t-\tau:t}^{HV}, C_t) = a_t^{HV}$

*Probabilistic Policy ( $f_p$ ) Learning: RNN-MDN*



**(b)**  $f_p(X_{t-\tau:t}^{HV}, C_t) = Z_t$

## Modeling Intuition

*RNN(LSTM) models*

*temporal dependencies*

$$L_d := \sum_{t=1}^T (a_t^{HV} - f_d(X_{t-\tau:t}^{HV}, C_t))^2$$

*MDN captures*

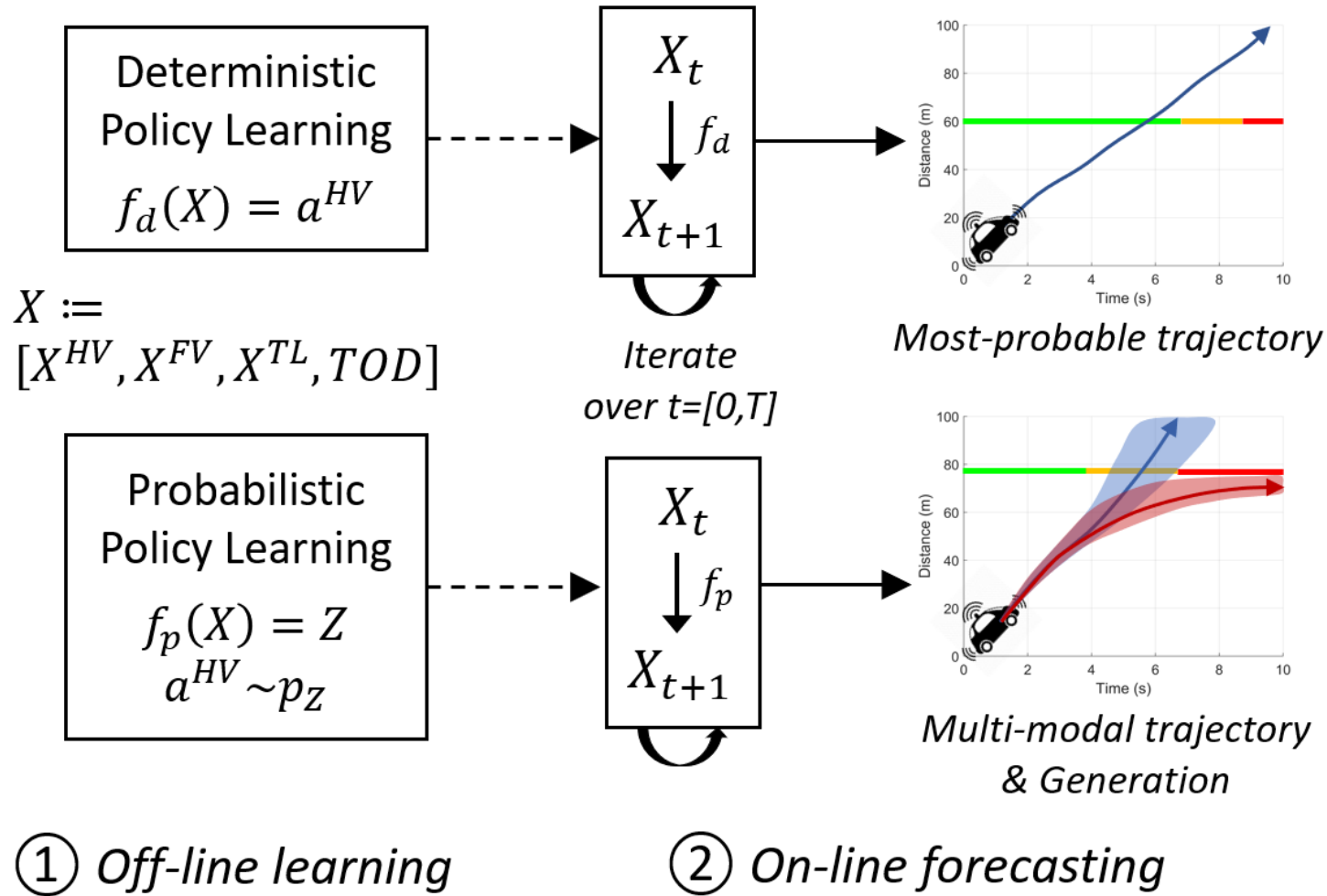
*competing policies*

*And allows*

*probabilistic interpretation*

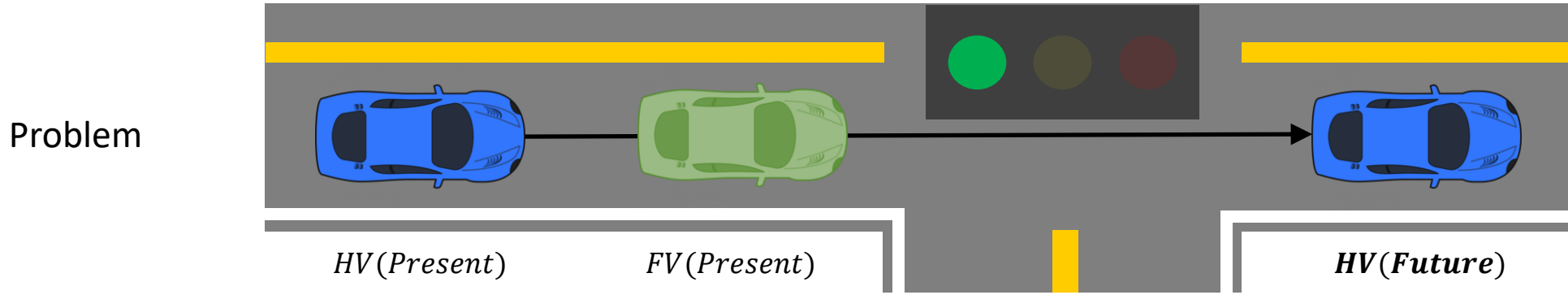
$$L_p := \sum_{t=1}^T -\log(p(a_t^{HV} | X_{t-\tau:t}^{HV}, C_t; Z_t))$$

# Prediction framework



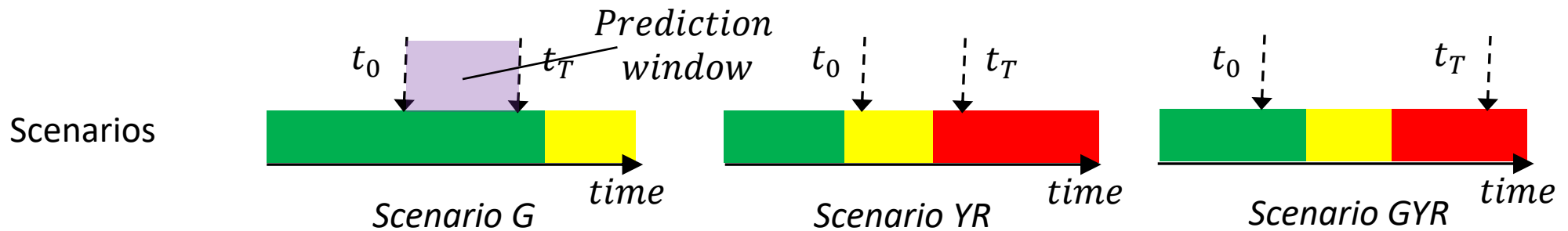
Autoregressive prediction using the learned policies to obtain the roll-outs

# Qualitative evaluation



The deterministic policies

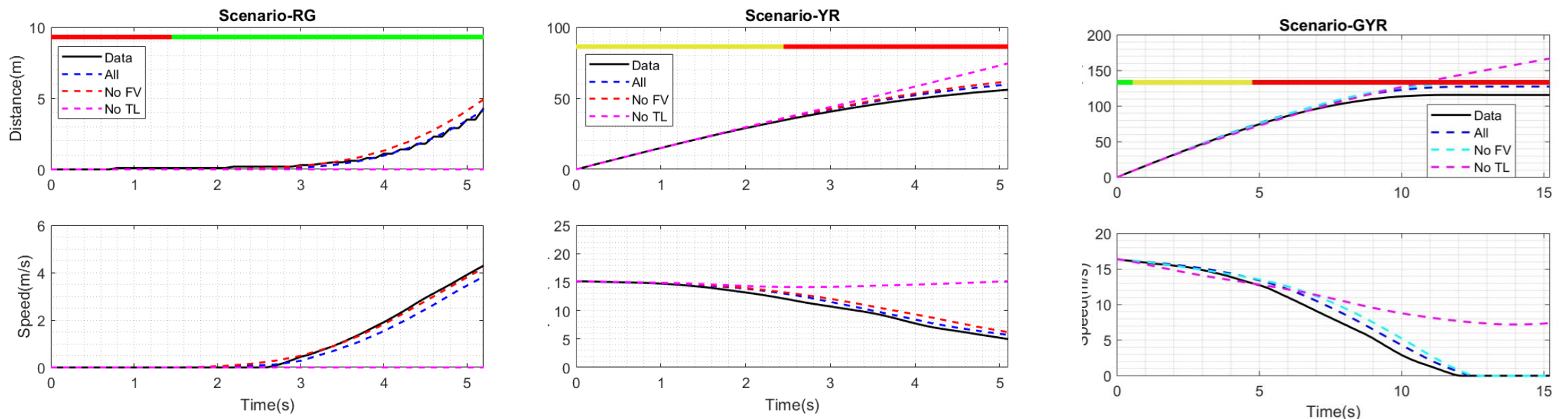
$f_d$	$[X^{HV}, X^{FV}, X^{TL}, TOD] \rightarrow a^{TL}$	The impact of TL: $f_d$ vs $f_d^{NoTL}$
$f_d^{NoFV}$	$[X^{HV}, \quad, X^{TL}, TOD] \rightarrow a^{TL}$	
$f_d^{NoTL}$	$[X^{HV}, X^{FV}, \quad, TOD] \rightarrow a^{TL}$	



# Qualitative evaluation with 3 sample episodes: TL vs NoTL

Given **ground-truth (Black)** trajectories, the trajectory forecasts from the following 3 models are compared:

- All ( $f_d$ , Blue) : a model which uses both  $X^{FA}$  and future  $X^{TL}$   $\rightarrow$  **Our approach**
- No FV ( $f_d^{NoFV}$ , Red) : a model which doesn't use  $X^{FA}$   $\rightarrow$  **Benchmarking purpose**
- No TL ( $f_d^{NoTL}$ , Pink) : a model which doesn't use future  $X^{TL}$



Our models (blue and red) produce more accurate predictions than the model (pink) that doesn't utilize future  $X^{TL}$

The results demonstrate how the utilization of the future  $X^{TL}$  can improve the predictions

# Quantitative evaluation with 3111 test samples & ablation study

Models for the ablation study:

$$\begin{aligned}
 f_d & [X^{HV}, X^{FV}, X^{TL}, TOD] \rightarrow a^{TL} \\
 f_d^{NoFV} & [X^{HV}, \quad, X^{TL}, TOD] \rightarrow a^{TL} \\
 f_d^{NoTL} & [X^{HV}, X^{FV}, \quad, TOD] \rightarrow a^{TL} \\
 f_d^{NoFVTL} & [X^{HV}, \quad, \quad, TOD] \rightarrow a^{TL}
 \end{aligned}$$

The impact of TL:

$$f_d \text{ vs } f_d^{NoTL}$$

Evaluation metrics:

$$MAE := \frac{\sum_{k=1}^N |\hat{X}_k^{HV} - X_k^{HV}|}{N}$$

$$TWAE := \frac{\sum_{k=1}^N (t_k |\hat{X}_k^{HV} - X_k^{HV}|)}{\sum_{k=1}^N t_k}$$

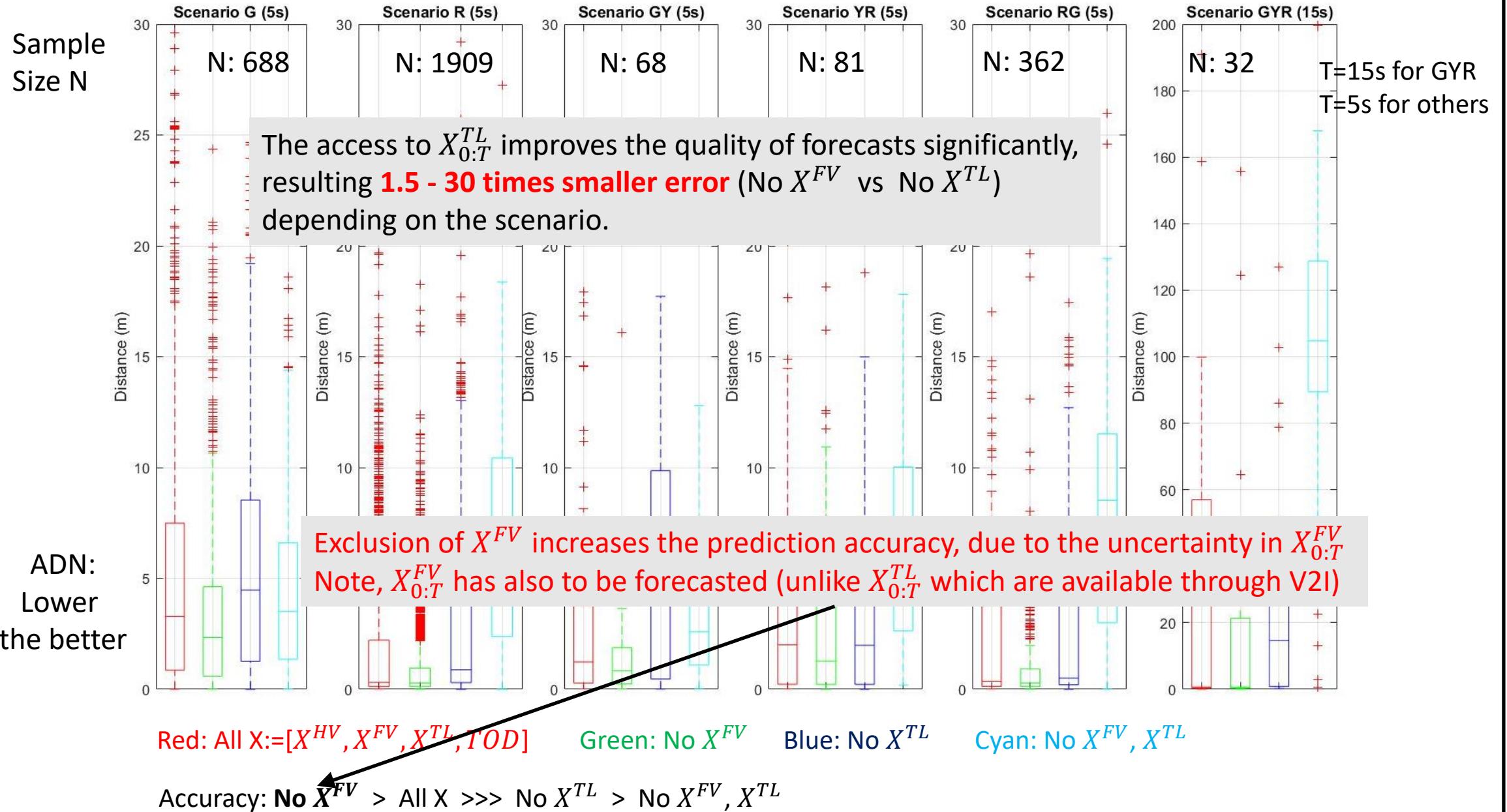
$$ADN := |\hat{X}_N^{HV} - X_N^{HV}|$$

Scenarios:

G, R,  
GY, YR, RG,  
GYR



# Quantitative evaluation with 3111 test samples & ablation study



## **Contribution**

- (1) Identification of a new problem where the existing forecasting methods might suffer
- (2) Demonstration of how the access to future TL states improve the predictions
- (3) Longitudinal trajectory forecasting algorithms which solve the problem

## **Conclusion**

We identified the scenarios where the existing forecasting methods could perform poor and proposed a novel solution to this problem that leverages the future TL states.

Due to the dataset availability, interactions with rear & side cars were not considered and no perception data (e.g., lidar, radar) was used.

Nevertheless, we believe that the proposed solution makes a step forward towards more accurate modeling and trajectory forecasting of human-driven vehicles.

**Thank You**